Physics - Key Stage 4
Space

## Orbits

## Students' downloadable resources

Mr C White

## Question slides from video

## Let's construct a summary table. Copy and complete the table below.

| Feature | A star | A planet | A moon | Artificial Satellite |
| :---: | :---: | :---: | :---: | :---: |
| Orbit | Around the centre of its home galaxy |  |  | Around a larger body (around $\qquad$ in the case of, e.g. weather and communication) |
| Relative mass | Very large | Large | Small |  |
| Origin | Natural (from a $\qquad$ | $\qquad$ (from old star material) | Natural (from old star material) |  |
| Produces its own light? | $\qquad$ - through fusion reactions | - reflects star light |  | No - reflects star light |

## Non-circular orbits

When the bodies are further apart (e.g. moon and planet) the force between them (due to ___ ) increases/decreases/remains constant.

When the bodies are further apart, the speed at which the orbiting body must go to maintain a stable orbit increases/decreases/remains constant.

## Quick maths practice: <br> - Using formulae (including the

 circumference of a circle)- Using standard form

You will need your calculator.

## QUICK MATHS PRACTICE

Calculate the speed of the Earth around the Sun. Use the appropriate equations and the data below.

Earth-Sun distance $=1.5 \times 10^{11} \mathrm{~m}$
Earth's orbital period $=3.2 \times 10^{7} \mathrm{~s}$

Express your answer in standard form to 2 significant figures.

## EXAM STYLE QUESTIONS

Look at the data for the solar system in the table.

Write down what is meant by:
(a) orbital period (1 mark)
(b) velocity (1 mark)

Give the following data in standard form to 2 significant figures:
(c) the orbital radius of Earth in metres (2 marks)
(d) the orbital period of Jupiter in days (1 mark).

| Body | Orbital radius <br> (x10 $\mathbf{k m}$ ) | Orbital period <br> (days) |
| :---: | :---: | :---: |
| Mercury | 58 | 88 |
| Venus | 108 | 225 |
| Earth | 150 | 365 |
| Mars | 228 | 687 |
| Ceres | 414 | 1680 |
| Jupiter | 778 | 4331 |
| Saturn | 1430 | 10750 |

## EXAM STYLE QUESTIONS

Look at the data for the solar system in the table.
(e)Write down the relationship between the orbital radius of the bodies in the solar system and their orbital period. (1 mark)
(f) From the data in the table, identify the planet whose average speed around the Sun is the least. Explain your answer. (3 marks)

MOVE TO THE NEXT SLIDE WHEN READY

| Body | Orbital radius <br> (x10 $\mathbf{k m}$ ) | Orbital period <br> (days) |
| :---: | :---: | :---: |
| Mercury | 58 | 88 |
| Venus | 108 | 225 |
| Earth | 150 | 365 |
| Mars | 228 | 687 |
| Ceres | 414 | 1680 |
| Jupiter | 778 | 4331 |
| Saturn | 1430 | 10750 |

## EXAM STYLE QUESTIONS

(g) A student claimed that she could calculate the orbital period, $P$, in days for any planet if she knew its orbital radius, R in millions of km. Her formula was:

$$
P=0.2 \times R \times \sqrt{ } R
$$

Calculate the orbital periods for Mercury and Mars to 2 significant figures using the student's formula and evaluate her claim. (5 marks)

| Body | Orbital radius <br> (x10 $\mathbf{k m}$ ) | Orbital period <br> (days) |
| :---: | :---: | :---: |
| Mercury | 58 | 88 |
| Venus | 108 | 225 |
| Earth | 150 | 365 |
| Mars | 228 | 687 |
| Ceres | 414 | 1680 |
| Jupiter | 778 | 4331 |
| Saturn | 1430 | 10750 |

## Answers

## SOLUTIONS

| Feature | A star | A planet | A moon | Artificial <br> Satellite |
| :---: | :---: | :---: | :---: | :---: |
| Orbit | Around the <br> centre of its <br> home galaxy | Around its <br> parent star | Around a <br> planet | Around a larger body <br> (around <br> case of, e.g. weather <br> and communication) |
| Relative mass | Very large | Large | Small | Negligible/very <br> small |
| Origin | Natural (from a <br> nebula) | Natural (from <br> old star material) | Natural (from old <br> star material) | Man-made <br> (synthetic) |
| Produces its own <br> light? | YES - through <br> fusion reactions | NO - reflects star <br> light | NO - reflects <br> star light | No - reflects star <br> light |

## Non-circular orbits - SOLUTIONS

When the bodies are further apart (e.g. moon and planet) the force between them (due to gravity) decreases.

When the bodies are further apart, the speed at which the orbiting body must go to maintain a stable orbit decreases.

## QUICK MATHS PRACTICE - SOLUTIONS

Calculate the speed of the Earth around the Sun. Use the appropriate equations and the data below.

Earth-Sun distance $=1.5 \times 10^{11} \mathrm{~m}$
Earth's orbital period $=3.2 \times 10^{7}$ s
Express your answer in standard form to 2 significant figures.

## Values, Equation, Substitute, Rearrange, Answer, Units

Distance travelled in 1 year $=1$ circumference $=2 \pi r$
$\mathrm{c}=2 \times \pi \times 1.5 \times 10^{11}=9.4 \times 10^{11} \mathrm{~m}$
Speed $=$ distance $\div$ time $=9.4 \times 10^{11} \div 3.2 \times 10^{7}=29452=\underline{2.9 \times 10^{4}} \mathrm{~m} / \mathrm{s}$

## EXAM STYLE SOLUTIONS

(a) time taken for one complete orbit around the Sun (1 mark)
(b) speed with direction/in a specified direction (1 mark)
(c) $1.5 \times 10^{11} \mathrm{~m}(1$ mark for conversion of km to $m, 1$ for correct standard form) (d) $4.3 \times 10^{3}$ days ( 1 mark).

| Body | Orbital radius <br> (x106 $\mathbf{~ k m})$ | Orbital period <br> (days) |
| :---: | :---: | :---: |
| Mercury | 58 | 88 |
| Venus | 108 | 225 |
| Earth | 150 | 365 |
| Mars | 228 | 687 |
| Cercs | 414 | 1680 |
| Jupiter | 778 | 4331 |
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## EXAM STYLE QUESTIONS

(e)as the orbital radius increases, the orbital period increases (ignore 'directly proportional') (1 mark)
(f) Saturn (1 mark) it is the furthest from the Sun (1 mark) so it has the least/weakest/lowest gravitational force acting on it (1 mark)

| Body | Orbital radius <br> (x10 $\mathbf{~ k m})$ | Orbital period <br> (days) |
| :---: | :---: | :---: |
| Mercury | 58 | 88 |
| Venus | 108 | 225 |
| Earth | 150 | 365 |
| Mars | 228 | 687 |
| Ceres | 414 | 1680 |
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| Saturn | 10750 |  |

## EXAM STYLE QUESTIONS

(g) Mercury
$P=0.2 \times R \times \sqrt{ } R$
$P=0.2 \times 58 \times \sqrt{ } 58=88.34$ (1 mark)
= 88 days to 2 sf (1 mark)
Mars
$P=0.2 \times R \times \sqrt{ } R$
$P=0.2 \times 228 \times \sqrt{ } 228=688.54$ (1 mark)
= 690 days to 2sf (1 mark)
Formula is correct as both values agree to 2sf (1 mark)

| Body | Orbital radius <br> (x106 $\mathbf{~ k m})$ | Orbital period <br> (days) |
| :---: | :---: | :---: |
| Mercury | 58 | 88 |
| Varius | 108 | 225 |
| Earth | 150 | 365 |
| Mars | 228 | 687 |
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